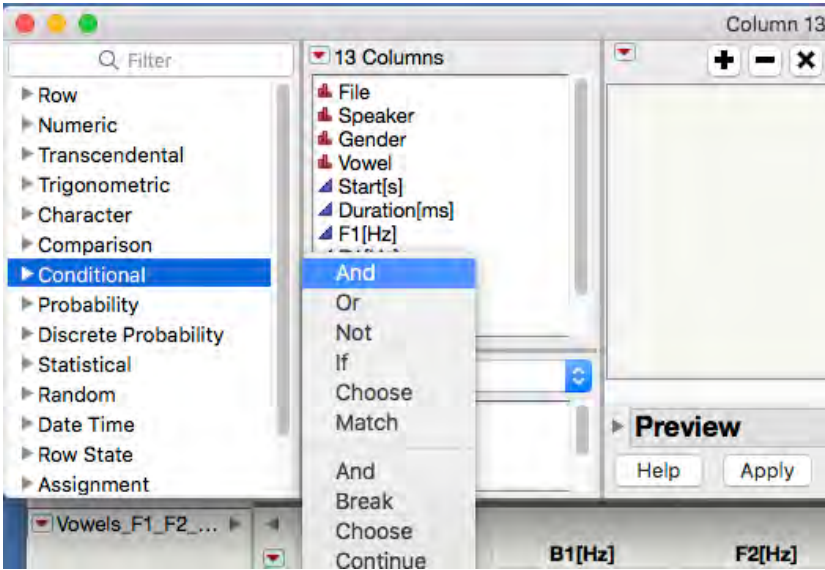


**‘Logical’ combination in a Formular (e.g. in an If-statement)**



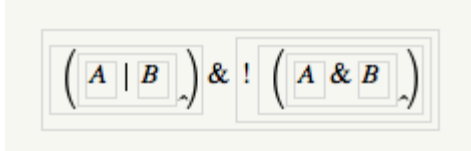
Combining ‘True’ (1) and ‘False’ (0) with

‘And’ (both, A and B, must be true)

‘Or’ (either one, A or B, or both are true)

‘Xor’ (either A or B are true, but not both) –

‘Xor’ is not part of JMPs function, use ‘(A Or B) And Not (A And B)’ instead:



A	B	And	Or	Xor
0	0	0	0	0
0	1	0	1	1
1	0	0	1	1
1	1	1	1	0

**Computation across different rows in (same or different) columns**

Example: Computing the duration between two consecutive ‘Start[s] of a segment’ times:

 A screenshot of the JMP software interface showing a formula editor for Column 8. The formula is  $Start[s] - Lag(Start[s], <n=1>)$ . Callout boxes explain the components: "Take the value of this variable..." points to the variable name, "...from 1 row above." points to the lag parameter, and "Same as Start[s]\_{Row()-1}" points to the entire formula.

**Type I ( $\alpha$ , error of first kind, false positive) errors and Type II ( $\beta$ , error of second kind, false negative) errors.**

Total %		Estimated [a]		
		0	1	Total
Real [a]	0	48.61	23.70	72.31
	1	4.03	23.66	27.69
Total		52.64	47.36	

These should be large (correct predictions)

False positive ( $\alpha$ , Type I): predicted to be an [a], but it is not an [a]

False negative ( $\beta$ , Type II): predicted to be not an [a], but it is an [a]

This table is often given in textbooks with the ‘Nullhypothesis’ ( $H_0$ ) of a statistical test. This nullhypothesis is usually the opposite of what should be tested (e.g. Nullhypothesis: “The F1-values of the vowels [a:] and [i:] are not different”) and is then rejected by the test (i.e., such a statement would be rejected on 5% level) so that the alternative hypothesis ( $H_a$ : ”The F1-values of the vowels [a:] and [i:] are different”) is accepted. Consequently, the table of error types is also formulated in the ‘opposite’ way.

Table of error types		Decision	
		Do not reject $H_0$	Reject $H_0$
Actual	$H_0$ is true	Correct decision (Confidence interval = $1-\alpha$ )	Type I error (False positive, $\alpha$ -risk)
	$H_a$ is true	Type II error (False negative, $\beta$ -risk)	Correct decision (Power = $1-\beta$ )